



## Practice Problem

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- How long will it take a car going from 10 m/s to 50 m/s if the acceleration is 4 m/s<sup>2</sup>?

## Practice Problem

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- If a car slams on its breaks and comes to a complete stop, after driving for 20 seconds, what is its initial velocity if it were decelerating at  $-1.5 \text{ m/s}^2$ ?

# Speed and Acceleration

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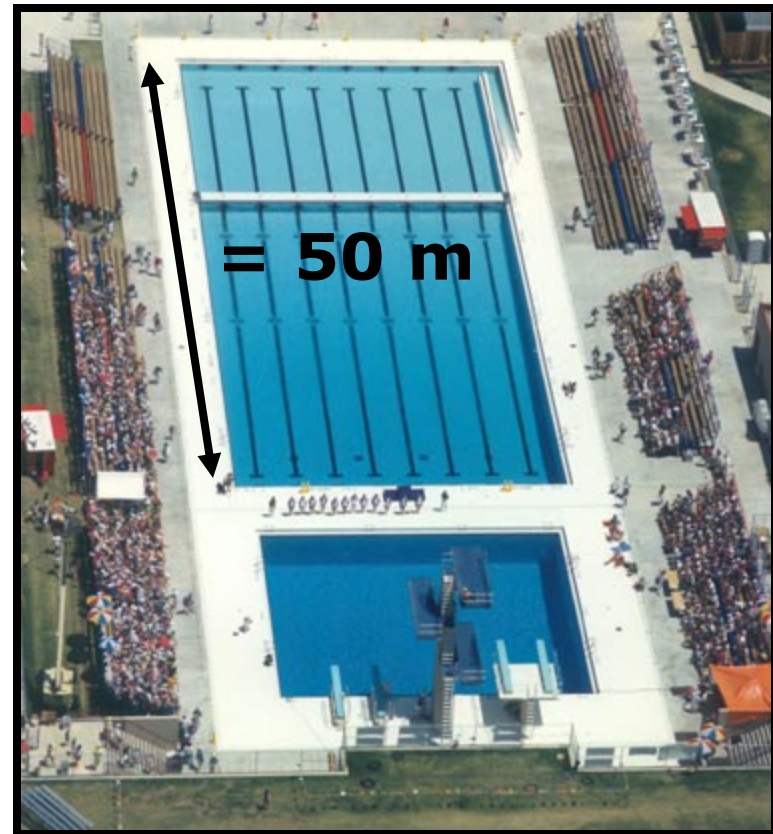
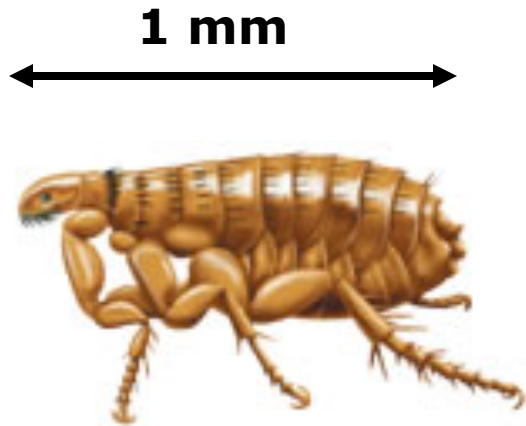
Measuring motion



# Measuring Distance

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- **Meter** – international unit for measuring distance.



# Calculating Speed

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- **Speed (S)** = distance traveled (d) / the amount of time it took (t).

$$S = d/t$$

# Units for speed

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- Depends, but will always be a distance unit / a time unit
  - Ex. Cars: mi./h
  - Jets: km/h
  - Snails: cm/s
  - Falling objects: m/s

## Calculating speed

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$$S = d/t$$

- If I travel 100 kilometer in one hour then I have a speed of...
- **100 km/h**
  
- If I travel 1 meter in 1 second then I have a speed of....
- **1 m/s**

# Average speed

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- Speed is usually NOT CONSTANT
  - Ex. Cars stop and go regularly
  - Runners go slower uphill than downhill
- **Average speed** = total distance traveled/total time it took.



# Calculating Average Speed

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- It took me 1 hour to go 40 km on the highway. Then it took me 2 more hours to go 20 km using the streets.
- **Total Distance:**
  - 40 km + 20 km = 60 km
- **Total Time:**
  - 1 h + 2 h = 3 hr
- **Ave. Speed:**
  - total d/total t = 60 km/3 h = 20 km/h

$$\text{Ave. Speed} = \frac{\text{Total Dist.}}{\text{Total time}}$$

# Question

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- I travelled 25 km in 10 minutes.  
How many meters have I travelled?
  - A) 25000 m
  - B) .0112 m
  - C) .025 m
  - D) 2.5 m

$$25 \text{ km} * 1000\text{m/km} = 25000 \text{ m}$$

# Question

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- I ran 1000 m in 3 minutes. Then ran another 1000 m uphill in 7 minutes. What is my average speed?

$$\text{Total Dist.} = 1000 \text{ m} + 1000 \text{ m} = 2000 \text{ m}$$

$$\text{Total Time} = 3 \text{ min} + 7 \text{ min} = 10 \text{ min}$$

$$\text{Ave speed} = \text{total dist}/\text{total time} =$$

$$2000\text{m}/10 \text{ min} = 200 \text{ m/min} = \mathbf{D}$$

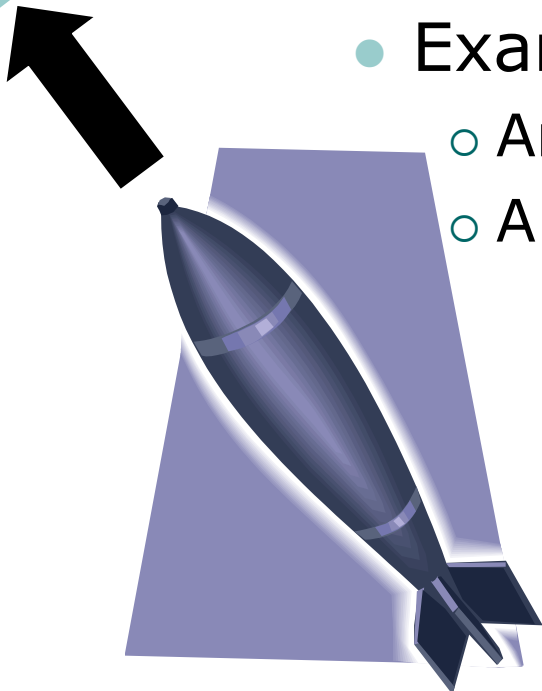
# Velocity

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- **Velocity** – the SPEED and DIRECTION of an object.

- Example:

- An airplane moving North at 500 mph
- A missile moving towards you at 200 m/s



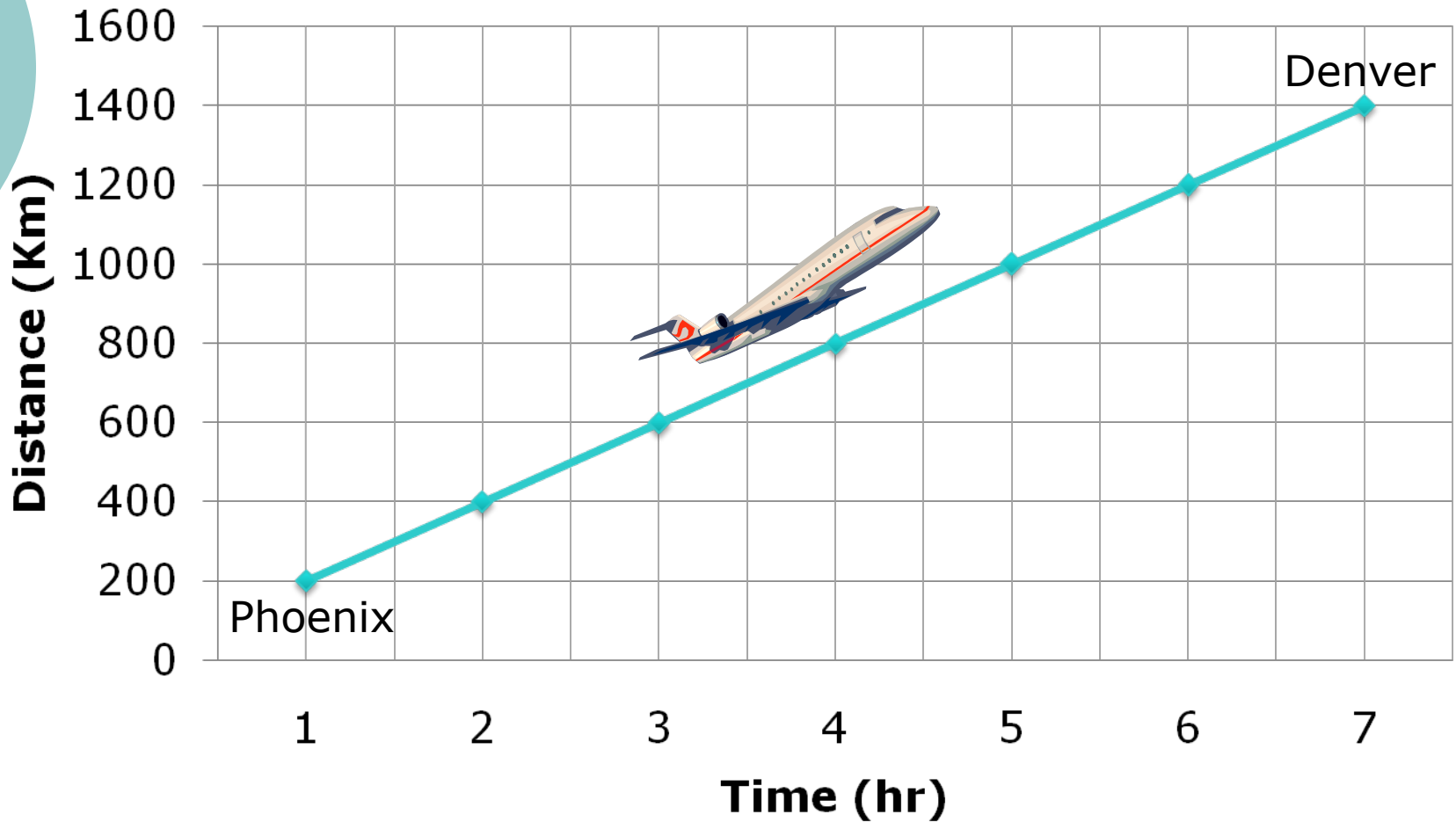


# Question

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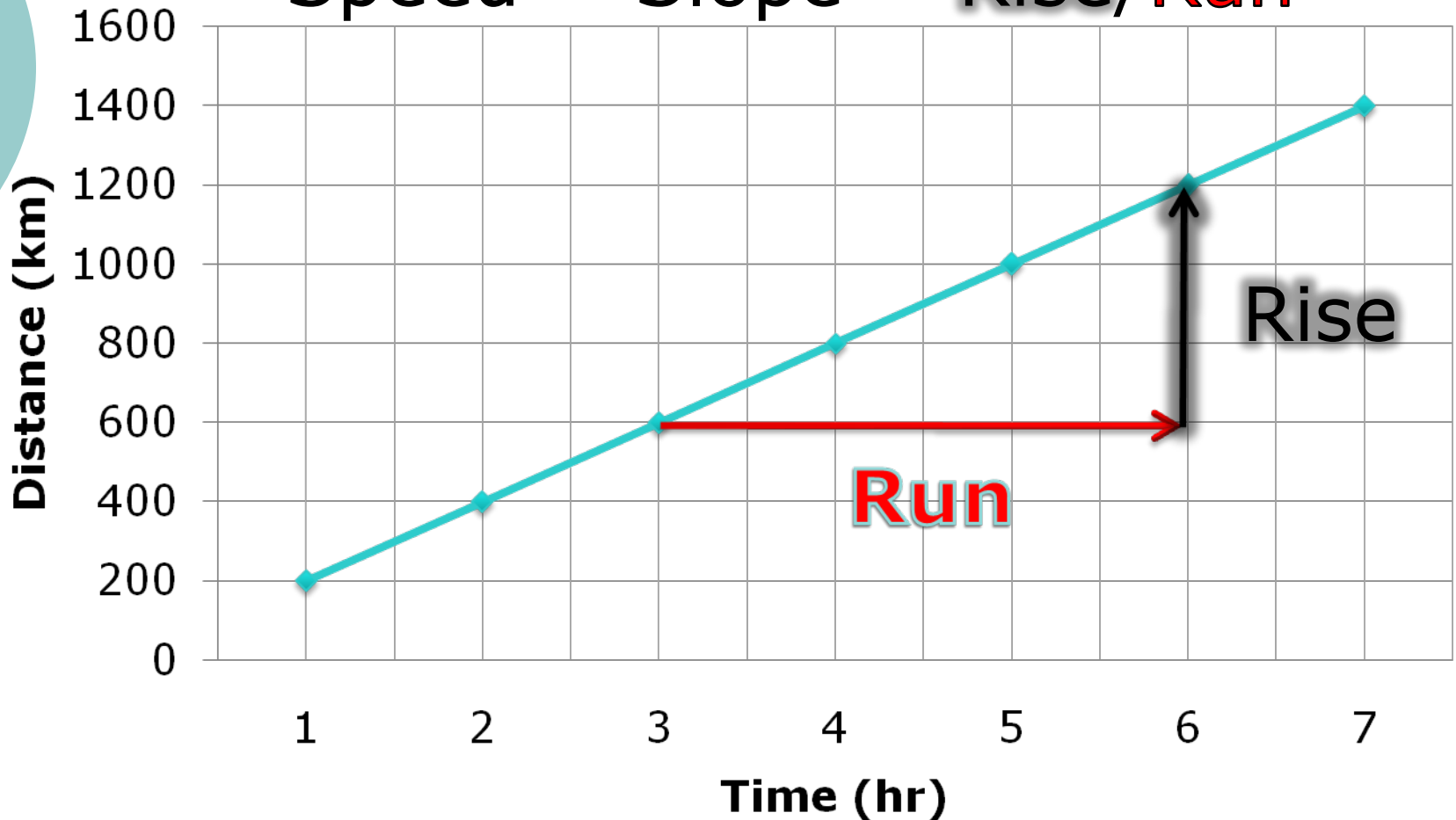
- What is the difference between speed and velocity?
- Speed is just distance/time. Velocity includes direction as well.

# Graphing Speed: Distance vs. Time Graphs



# Graphing Speed: Distance vs. Time Graphs

$$\text{Speed} = \text{Slope} = \text{Rise/Run}$$



# Graphing Speed: Distance vs. Time Graphs

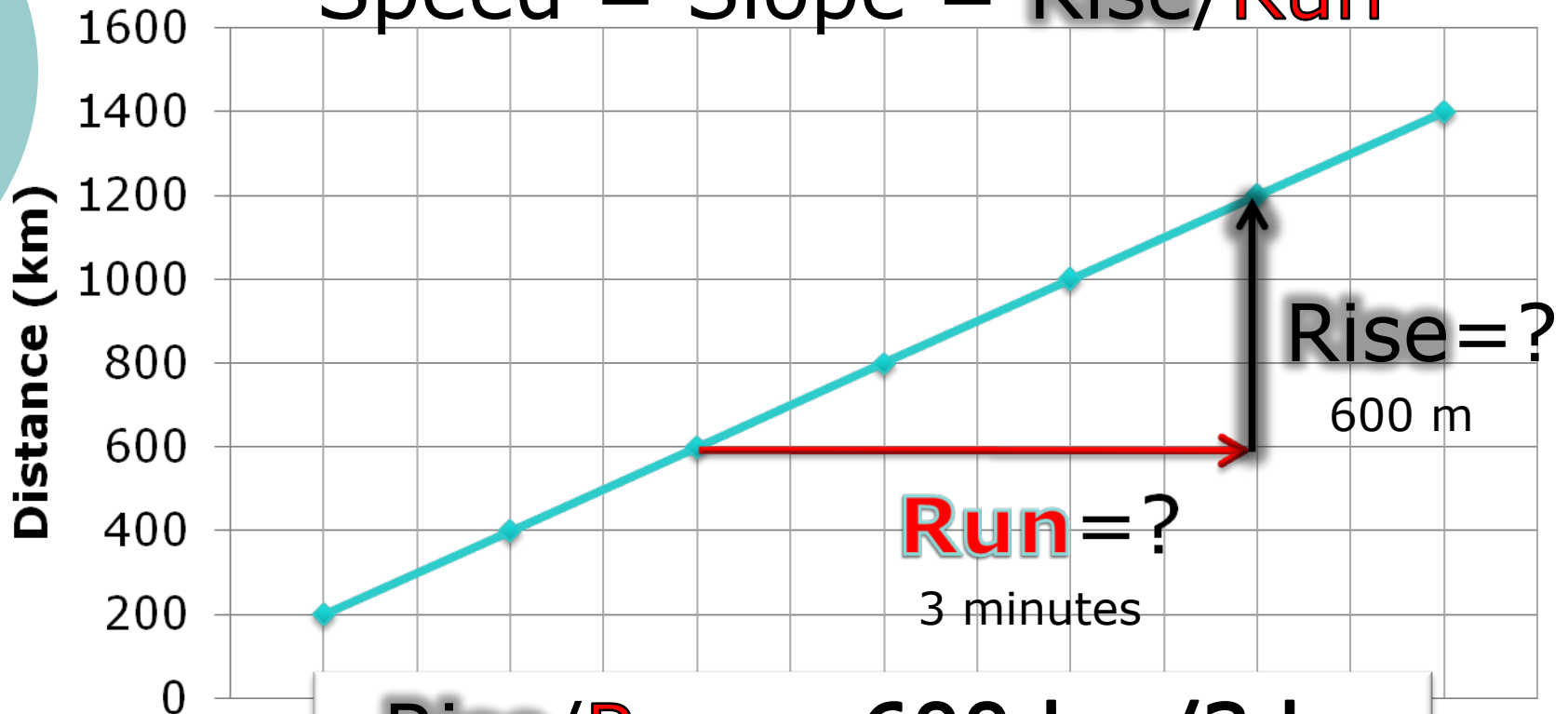
$$\text{Speed} = \text{Slope} = \text{Rise/Run}$$





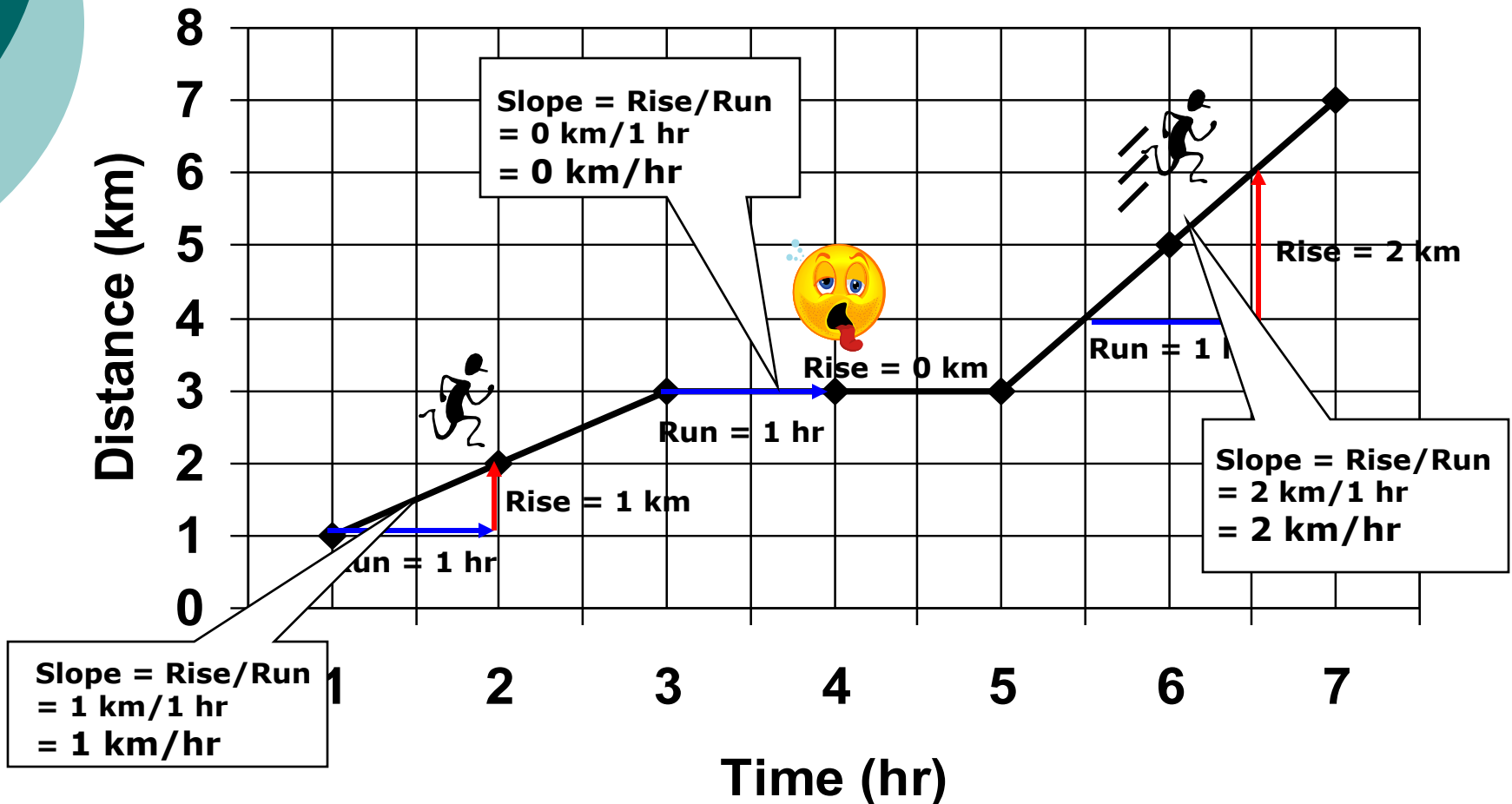
# Graphing Speed: Distance vs. Time Graphs

Speed = Slope = Rise/Run



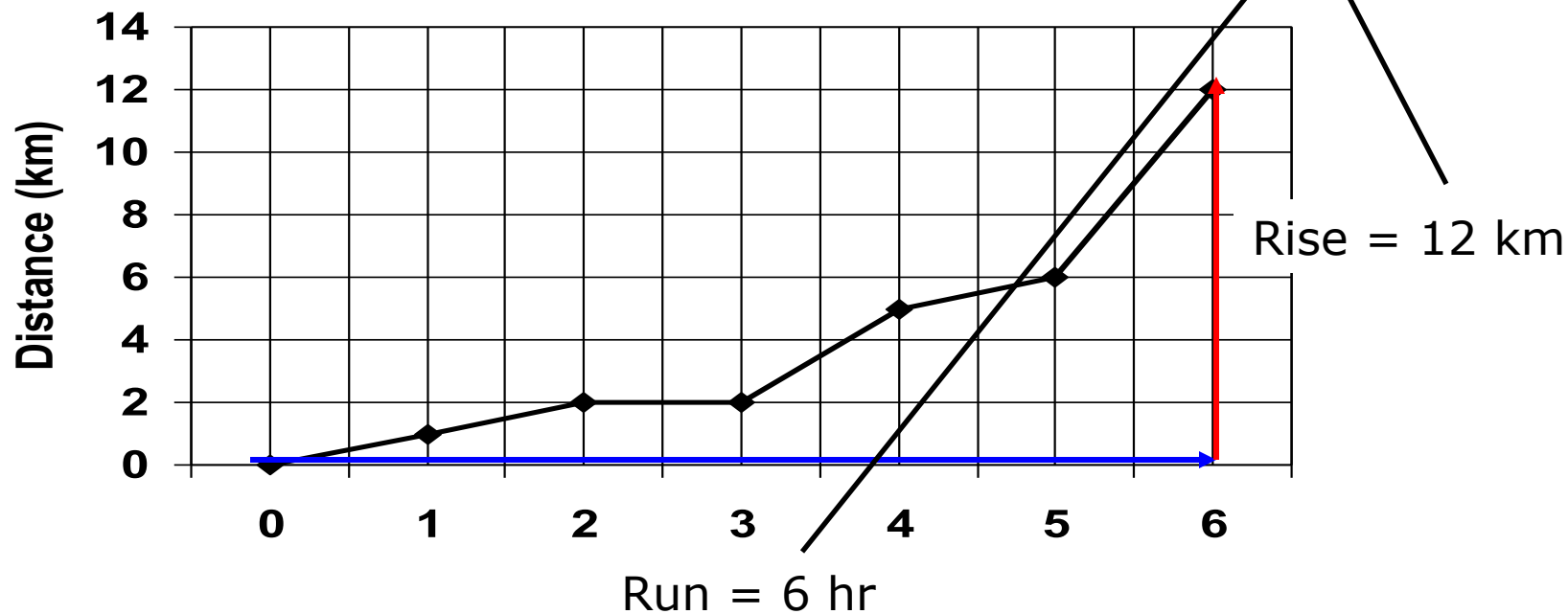
$$\begin{aligned} \text{Rise/Run} &= 600 \text{ km}/3 \text{ hr} \\ &= 200 \text{ km/hr} \end{aligned}$$

# Different Slopes



# Question

$$\text{Average Speed} = \text{Total distance} / \text{Total time} = 12 \text{ km} / 6 \text{ hr} \\ = \mathbf{2 \text{ km/hr}}$$





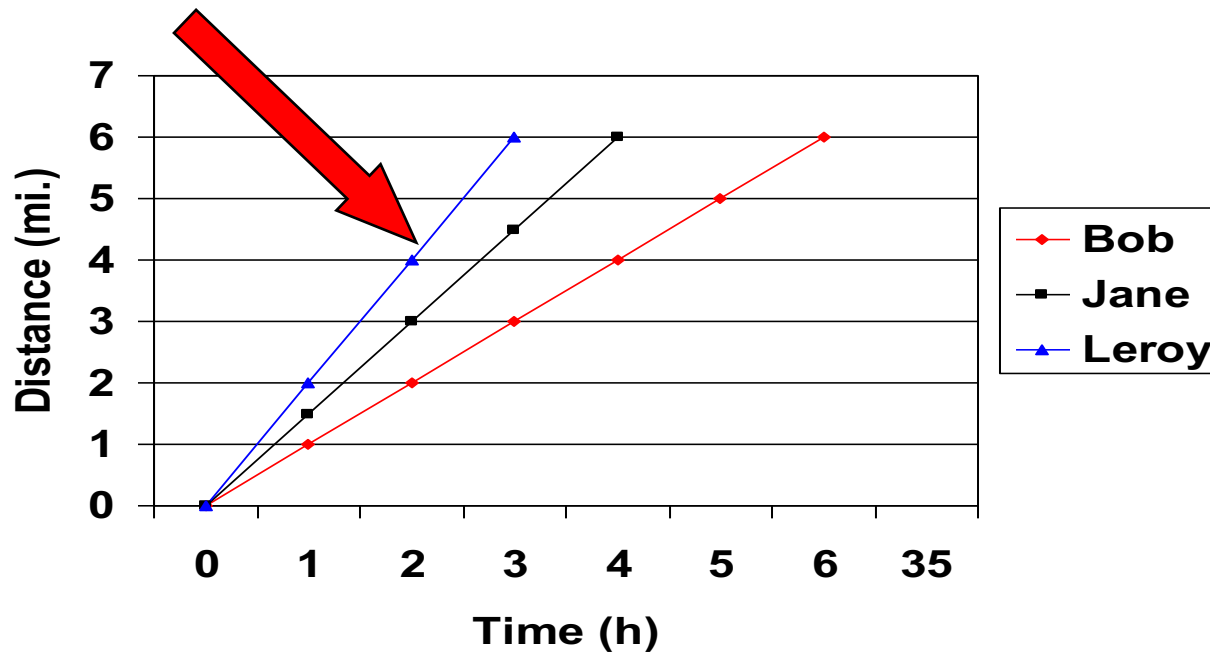
# Question

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- What does the slope of a distance vs. time graph show you about the motion of an object?
- It tells you the **SPEED**

# Question

- Below is a distance vs. time graph for 3 runners. Who is the fastest?



Leroy is the fastest. He completed the race in 3 hours

# Acceleration

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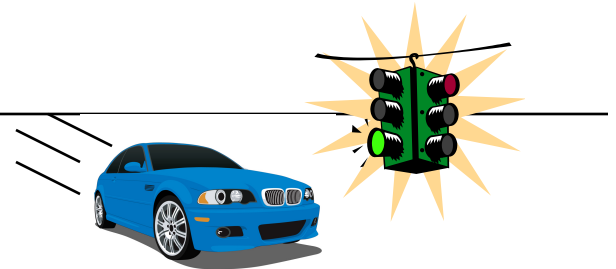
- **Acceleration** = speeding up
- **Acceleration** – the rate at which velocity changes
  - Can be an:
    - Increase in speed
    - Decrease in speed
    - Change in direction

# Types of acceleration

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- Increasing speed

- Example: Car speeds up at green light



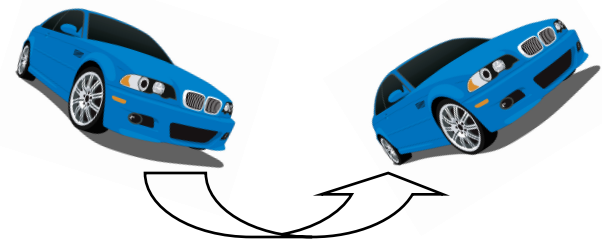
- Decreasing speed

- Example: Car slows down at stop light



- Changing Direction

- Example: Car takes turn (can be at **constant speed**)





# Question

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- How can a car be accelerating if its speed is a constant 65 km/h?
- If it is changing directions it is accelerating



# Calculating Acceleration

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- If an object is moving in a straight line

$$\textit{Acceleration} = \frac{\textit{Final \_ speed} - \textit{Initial \_ Speed}}{\textit{Time}}$$

- Units of acceleration:
  - m/s<sup>2</sup>

# Calculating Acceleration

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$$\text{Acceleration} = \frac{\text{Final Speed} - \text{Initial Speed}}{\text{Time}}$$

$$= \frac{16\text{ m/s} - 0\text{ m/s}}{4\text{ s}}$$

$$= 4\text{ m/s}^2$$

0 s

1 s

2 s

3 s

4 s



0 m/s

4 m/s

8 m/s

12 m/s

16 m/s

# Question

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- A skydiver accelerates from 20 m/s to 40 m/s in 2 seconds. What is the skydiver's average acceleration?

$$\begin{aligned} \textit{Accel} &= \frac{\textit{Final\_speed} - \textit{Initial\_speed}}{\textit{Time}} \\ &= \frac{40\textit{m/s} - 20\textit{m/s}}{2\textit{s}} = \frac{20\textit{m/s}}{2\textit{s}} \\ &= 10\textit{m/s}^2 \end{aligned}$$

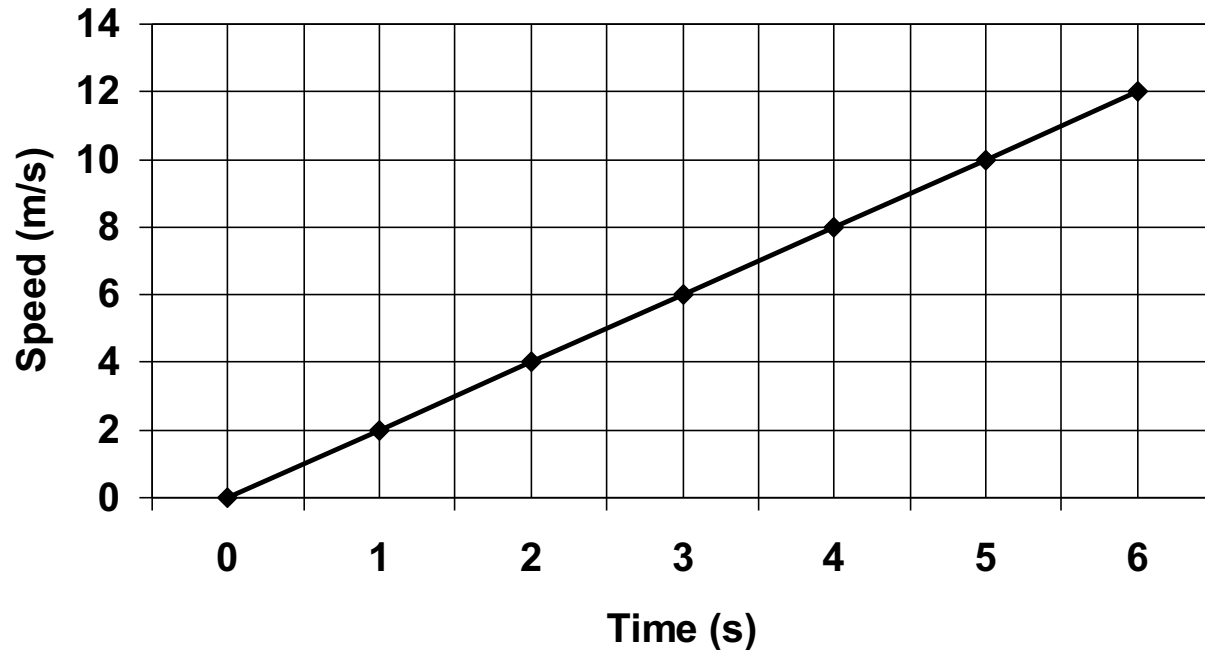


# Graphing Acceleration

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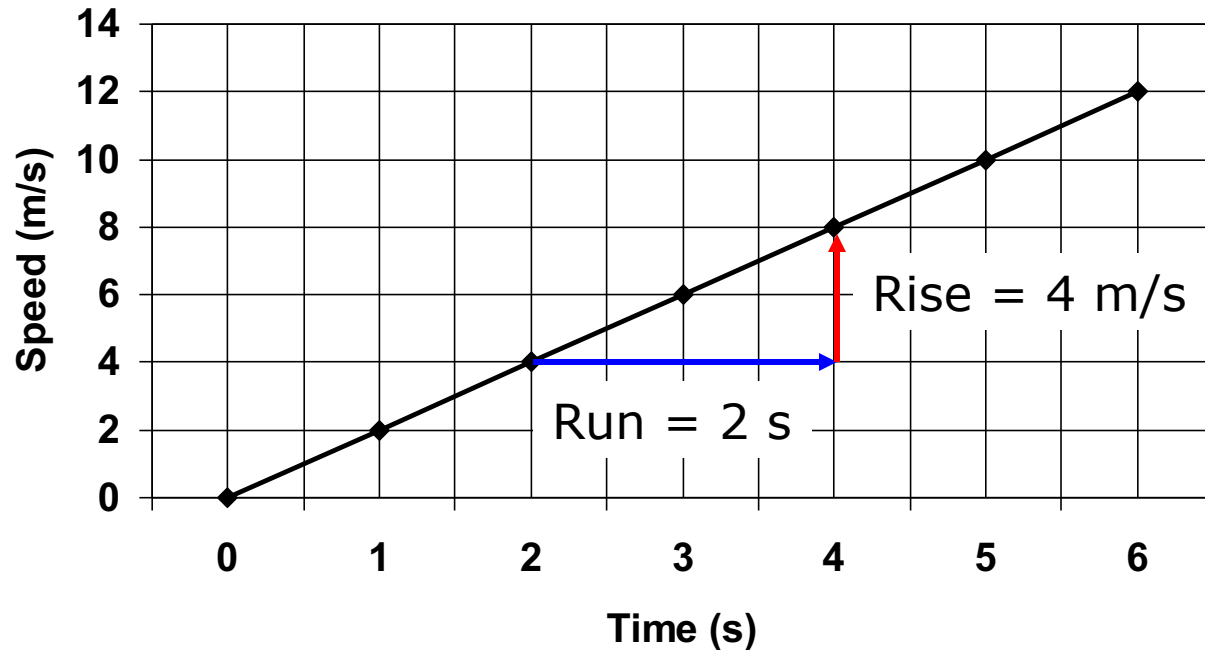
- Can use 2 kinds of graphs
  - Speed vs. time
  - Distance vs. time

# Graphing Acceleration: Speed vs. Time Graphs



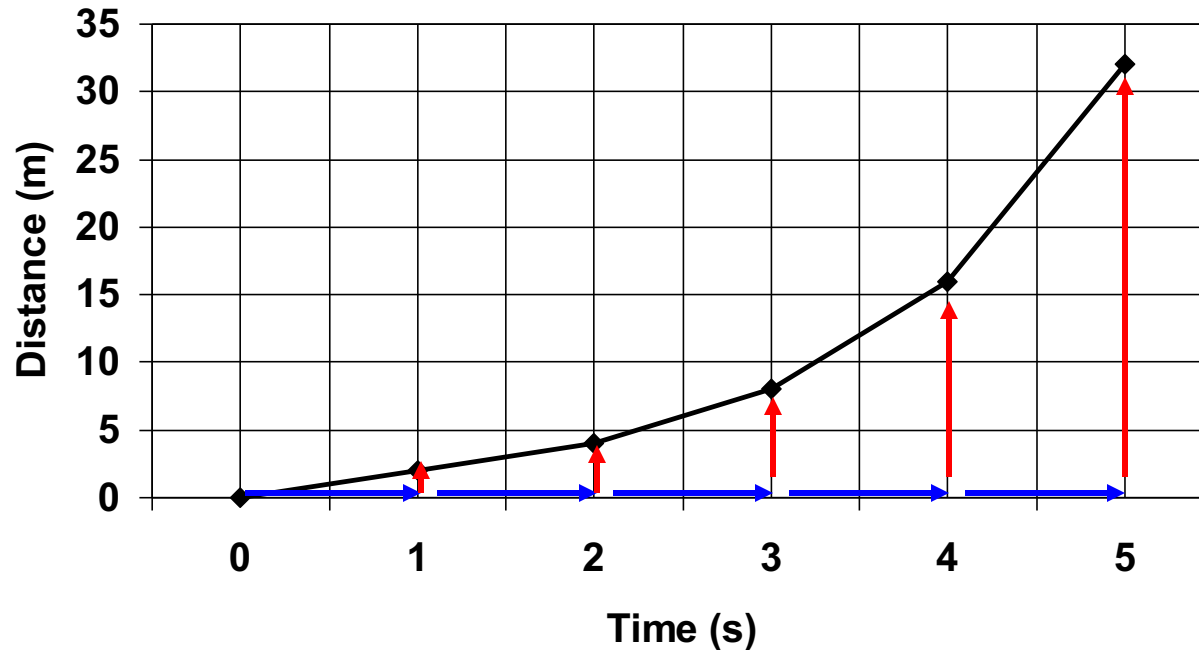
- 1) Speed is increasing with time = accelerating
- 2) Line is straight = acceleration is constant

# Graphing Acceleration: Speed vs. Time Graphs



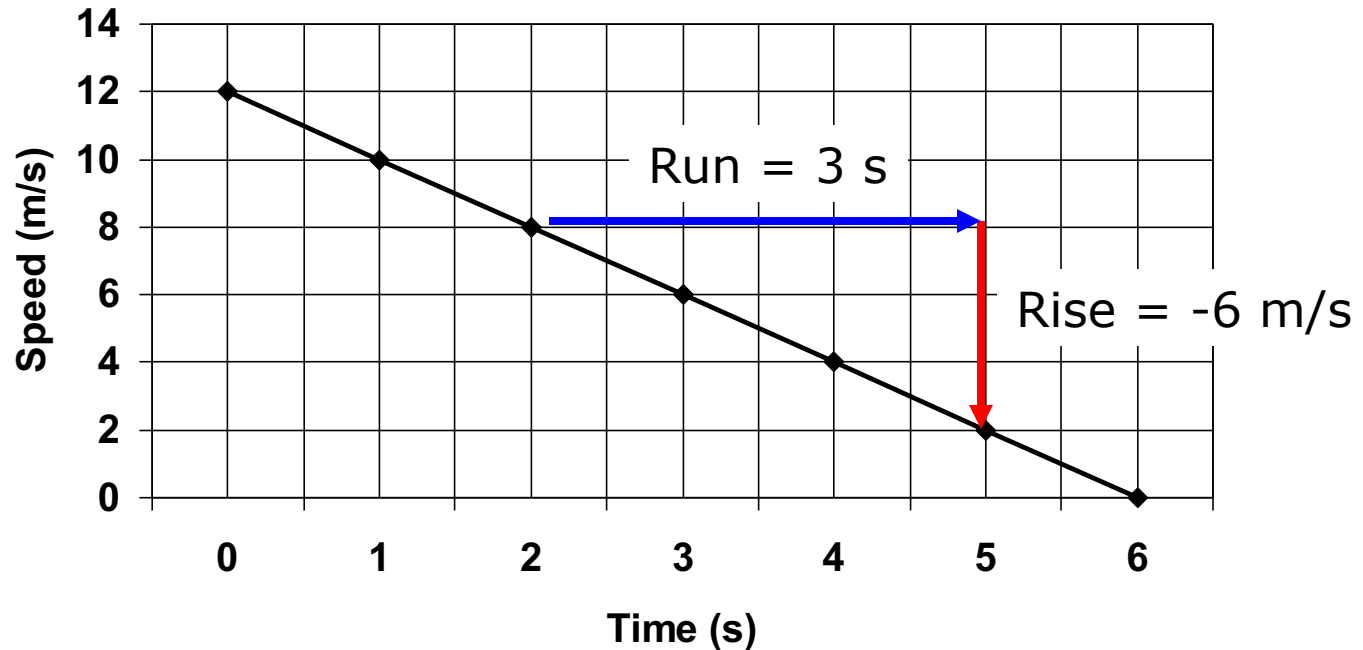
- 1) In Speed vs. Time graphs:  
Acceleration = Rise/Run  
= 4 m/s ÷ 2 s = **2 m/s<sup>2</sup>**

# Graphing Acceleration: **Distance** vs. Time Graphs



- 1) On Distance vs. Time graphs a curved line means the object is accelerating.
- 2) Curved line also means your speed is increasing. Remember slope = speed.

# Question



Above is a graph showing the speed of a car over time.

1) How is the speed of the car changing (speeding up, Slowing down, or staying the same)?

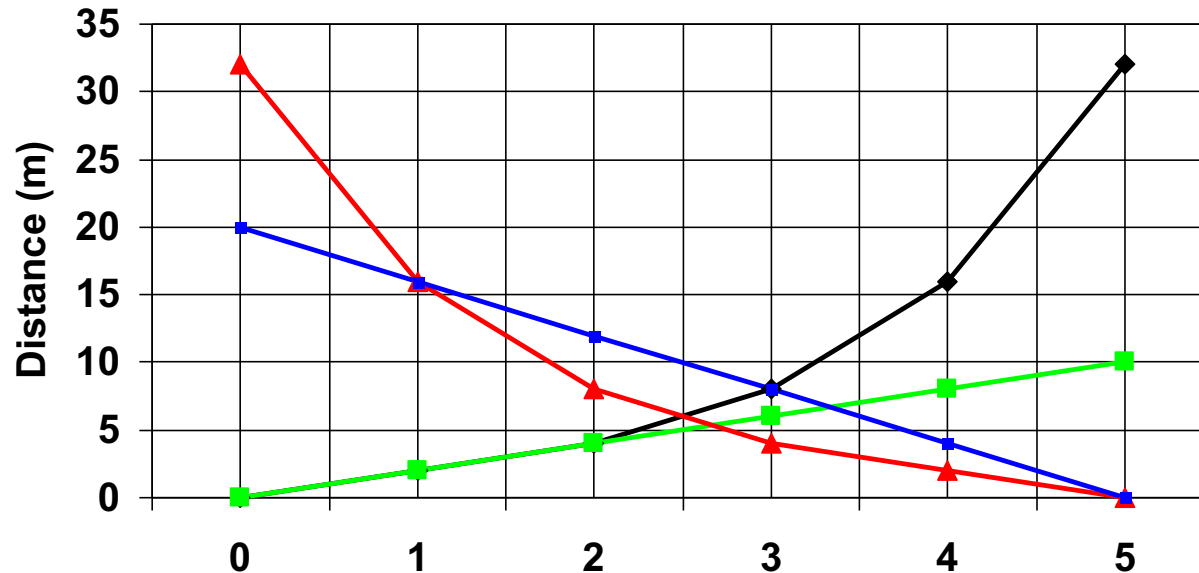
2) What is this car's acceleration?

1) The car is slowing down

2) Acceleration = rise/run =  $-6\text{m/s} \div 3\text{s} = -2 \text{ m/s}^2$



# Question:

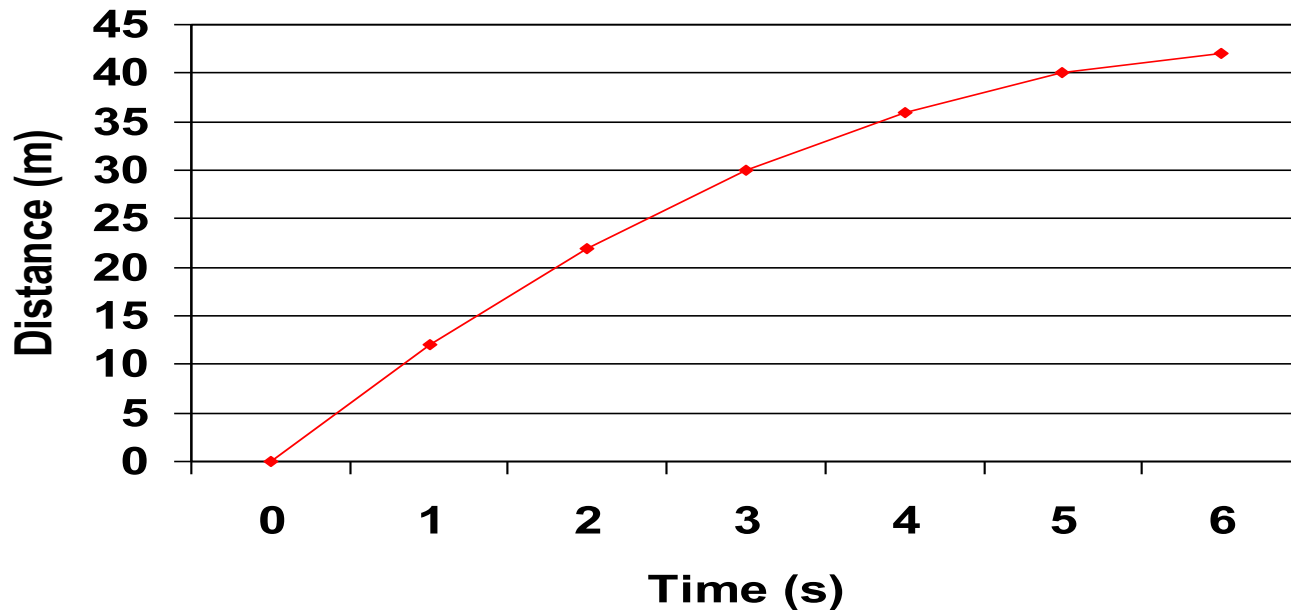


The **black and red lines** represent objects that are accelerating. Black is going a greater distance each second, so it must be speeding up. Red is going less each second, so it must be slowing down.

Remember: in distance vs. time graphs:  
**curved line = accelerating, flat line = constant speed**

# Question: Hard one

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Above is a graph showing the speed of a car over time.  
1) What would a distance vs. time graph for this look like?

# Acceleration

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- A parachute on a racing dragster opens and changes the speed of the car from  $85 \text{ m/s}$  to  $45 \text{ m/s}$  in a period of  $4.5$  seconds. What is the acceleration of the dragster?

# Acceleration

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- A car traveling at a speed of  $30.0 \text{ m/s}$  encounters an emergency and comes to a complete stop. How much time will it take for the car to stop if it decelerates at  $-4.0 \text{ m/s}^2$ ?

# Acceleration

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- If a car can go from 0 to 30 m/s in 8.0 seconds, what would be its final speed after 5.0 seconds if its starting speed were 20 m/s?

# Acceleration

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- A cart rolling down an incline for 5.0 seconds has an acceleration of  $4.0 \text{ m/s}^2$ . If the cart has a beginning speed of  $2.0 \text{ m/s}$ , what is its final speed?